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### **Application of Matrices and Determinants MCQ**

12th Standard Maths

- 1) If  $|adj(adj A)| = |A|^9$ , then the order of the square matrix A is
- (a) 3 (b) 4 (c) 2 (d) 5
- 2) If A is a 3  $\times$  3 non-singular matrix such that  $AA^T = A^TA$  and  $B = A^{-1}A^T$ , then  $BB^T =$
- (a) A (b) B (c)  $I_3$  (d)  $B^T$
- <sup>3)</sup> If  $A = \begin{bmatrix} 3 & 5 \\ 1 & 2 \end{bmatrix}$ , B = adj A and C = 3A, then  $\frac{|adjB|}{|C|} = \frac{|adjB|}{|C|}$
- (a)  $\frac{1}{3}$  (b)  $\frac{1}{9}$  (c)  $\frac{1}{4}$  (d) 1
- <sup>4)</sup> If  $A\begin{bmatrix} 1 & -2 \\ 1 & 4 \end{bmatrix} = \begin{bmatrix} 6 & 0 \\ 0 & 6 \end{bmatrix}$ , then  $A = \begin{bmatrix} 1 & 1 & 1 \\ 0 & 1 & 4 \end{bmatrix}$
- (a)  $\begin{bmatrix} 1 & -2 \\ 1 & 4 \end{bmatrix}$  (b)  $\begin{bmatrix} 1 & 2 \\ -1 & 4 \end{bmatrix}$  (c)  $\begin{bmatrix} 4 & 2 \\ -1 & 1 \end{bmatrix}$  (d)  $\begin{bmatrix} 4 & -1 \\ 2 & 1 \end{bmatrix}$
- <sup>5)</sup> If  $A = \begin{bmatrix} 7 & 3 \\ 4 & 2 \end{bmatrix}$ , then  $9I_2 A =$
- (a)  $A^{-1}$  (b)  $\frac{A^{-1}}{2}$  (c)  $3A^{-1}$  (d)  $2A^{-1}$
- <sup>6)</sup> If  $A = \begin{bmatrix} 2 & 0 \\ 1 & 5 \end{bmatrix}$  and  $B = \begin{bmatrix} 1 & 4 \\ 2 & 0 \end{bmatrix}$  then |adj (AB)| =
- (a) -40 (b) -80 (c) -60 (d) -20
- 7) If  $P = \begin{bmatrix} 1 & x & 0 \\ 1 & 3 & 0 \\ 2 & 4 & -2 \end{bmatrix}$  is the adjoint of  $3 \times 3$  matrix A and |A| = 4, then x is
- (a) 15 (b) 12 (c) 14 (d) 11

8) If 
$$A = \begin{bmatrix} 3 & 1 & -1 \\ 2 & -2 & 0 \\ 1 & 2 & -1 \end{bmatrix}$$
 and  $A^{-1} = \begin{bmatrix} a_{11} & a_{12} & a_{13} \\ a_{21} & a_{22} & a_{23} \\ a_{31} & a_{32} & a_{33} \end{bmatrix}$  then the value of  $a_{23}$  is

- 9) If A, B and C are invertible matrices of some order, then which one of the following is not true?
- (a)  $adj A = |A|A^{-1}$  (b) adj(AB) = (adj A)(adj B) (c)  $det A^{-1} = (det A)^{-1}$
- (d)  $(ABC)^{-1} = C^{-1}B^{-1}A^{-1}$

10) If 
$$(AB)^{-1} = \begin{bmatrix} 12 & -17 \\ -19 & 27 \end{bmatrix}$$
 and  $A^{-1} = \begin{bmatrix} 1 & -1 \\ -2 & 3 \end{bmatrix}$ , then  $B^{-1} = \begin{bmatrix} 1 & -1 \\ -2 & 3 \end{bmatrix}$ 

(a) 
$$\begin{bmatrix} 2 & -5 \\ -3 & 8 \end{bmatrix}$$
 (b)  $\begin{bmatrix} 8 & 5 \\ 3 & 2 \end{bmatrix}$  (c)  $\begin{bmatrix} 3 & 1 \\ 2 & 1 \end{bmatrix}$  (d)  $\begin{bmatrix} 8 & -5 \\ -3 & 2 \end{bmatrix}$ 

- 11) If  $A^{T}A^{-1}$  is symmetric, then  $A^{2}$  =
- (a)  $A^{-1}$  (b)  $(A^{T})^{2}$  (c)  $A^{T}$  (d)  $(A^{-1})^{2}$
- 12) If A is a non-singular matrix such that  $A^{-1} = \begin{bmatrix} 5 & 3 \\ -2 & -1 \end{bmatrix}$ , then  $(A^T)^{-1} = \begin{bmatrix} 1 & 1 \\ -2 & -1 \end{bmatrix}$

(a) 
$$\begin{bmatrix} -5 & 3 \\ 2 & 1 \end{bmatrix}$$
 (b)  $\begin{bmatrix} 5 & 3 \\ -2 & -1 \end{bmatrix}$  (c)  $\begin{bmatrix} -1 & -3 \\ 2 & 5 \end{bmatrix}$  (d)  $\begin{bmatrix} 5 & -2 \\ 3 & -1 \end{bmatrix}$ 

If  $A = \begin{bmatrix} \frac{3}{5} & \frac{4}{5} \\ x & \frac{3}{5} \end{bmatrix}$  and  $A^T = A^{-1}$ , then the value of x is

(a) 
$$\frac{-4}{5}$$
 (b)  $\frac{-3}{5}$  (c)  $\frac{3}{5}$  (d)  $\frac{4}{5}$ 

If A = 
$$\begin{bmatrix} 1 & \tan \frac{\theta}{2} \\ -\tan \frac{\theta}{2} & 1 \end{bmatrix}$$
 and AB = I<sub>2</sub>, then B =

(a) 
$$\left(\cos^2\frac{\theta}{2}\right)A$$
 (b)  $\left(\cos^2\frac{\theta}{2}\right)A^T$  (c)  $\left(\cos^2\theta\right)I$  (d)  $(\sin^2\frac{\theta}{2})A$ 

15) If 
$$A = \begin{bmatrix} \cos \theta & \sin \theta \\ -\sin \theta & \cos \theta \end{bmatrix}$$
 and  $A(\text{adj } A) = \begin{bmatrix} k & 0 \\ 0 & k \end{bmatrix}$ , then  $k = \frac{1}{2}$ 

(a) 0 (b) 
$$\sin \theta$$
 (c)  $\cos \theta$  (d) 1

If 
$$A = \begin{bmatrix} 2 & 3 \\ 5 & -2 \end{bmatrix}$$
 be such that  $\lambda A^{-1} = A$ , then  $\lambda$  is

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<sup>17)</sup> If adj A = 
$$\begin{bmatrix} 2 & 3 \\ 4 & -1 \end{bmatrix}$$
 and adj B =  $\begin{bmatrix} 1 & -2 \\ -3 & 1 \end{bmatrix}$  then adj (AB) is

(a) 
$$\begin{bmatrix} -7 & -1 \\ 7 & -9 \end{bmatrix}$$
 (b)  $\begin{bmatrix} -6 & 5 \\ -2 & -10 \end{bmatrix}$  (c)  $\begin{bmatrix} -7 & 7 \\ -1 & -9 \end{bmatrix}$  (d)  $\begin{bmatrix} -6 & -2 \\ 5 & -10 \end{bmatrix}$ 

18)
The rank of the matrix 
$$\begin{bmatrix} 1 & 2 & 3 & 4 \\ 2 & 4 & 6 & 8 \\ -1 & -2 & -3 & -4 \end{bmatrix}$$
 is

If 
$$x^a y^b = e^m$$
,  $x^c y^d = e^n$ ,  $\Delta_1 = \begin{vmatrix} m & b \\ n & d \end{vmatrix}$ ,  $\Delta_2 = \begin{vmatrix} a & m \\ c & n \end{vmatrix}$ ,  $\Delta_3 = \begin{vmatrix} a & b \\ c & d \end{vmatrix}$ , then the values of x and y are respectively,

(a) 
$$e^{(\Delta_2 / \Delta_1)}$$
,  $e^{(\Delta_3 / \Delta_1)}$  (b)  $\log (\Delta_1 / \Delta_3)$ ,  $\log (\Delta_2 / \Delta_3)$ 

(c) 
$$\log (\Delta_2 / \Delta_1)$$
,  $\log (\Delta_3 / \Delta_1)$  (d)  $e^{(\Delta_1 / \Delta_3)}$ ,  $e^{(\Delta_2 / \Delta_3)}$ 

# 20) Which of the following is/are correct?

- (i) Adjoint of a symmetric matrix is also a symmetric matrix.
- (ii) Adjoint of a diagonal matrix is also a diagonal matrix.
- (iii) If A is a square matrix of order n and  $\lambda$  is a scalar, then adj( $\lambda$ A) =  $\lambda$ <sup>n</sup> adj(A).

(iv) 
$$A(adjA) = (adjA)A = |A| I$$

- (a) Only (i) (b) (ii) and (iii) (c) (iii) and (iv) (d) (i), (ii) and (iv)
- 21) If  $\rho$  (A) =  $\rho$ ([A | B]), then the system AX = B of linear equations is
- (a) consistent and has a unique solution (b) consistent
- (c) consistent and has infinitely many solution (d) inconsistent
- 22) If  $0 \le \theta \le \pi$  and the system of equations  $x + (\sin \theta)y (\cos \theta)z = 0$ ,  $(\cos \theta)x y + z = 0$ ,  $(\sin \theta)x + y z = 0$  has a non-trivial solution then  $\theta$  is

(a) 
$$\frac{2\pi}{3}$$
 (b)  $\frac{3\pi}{4}$  (c)  $\frac{5\pi}{6}$  (d)  $\frac{\pi}{4}$ 

23) The augmented matrix of a system of linear equations is

$$egin{bmatrix} 1 & 2 & 7 & 3 \ 0 & 1 & 4 & 6 \ 0 & 0 & \lambda-7 & \mu+5 \end{bmatrix}$$
 . The system has infinitely many solutions if

(a) 
$$\lambda=7, \mu\neq -5$$
 (b)  $\lambda=-7, \mu=5$  (c)  $\lambda\neq 7, \mu\neq -5$  (d)  $\lambda=7, \mu=-5$ 

24) Let 
$$A = \begin{bmatrix} 2 & -1 & 1 \\ -1 & 2 & -1 \\ 1 & -1 & 2 \end{bmatrix}$$
 and  $AB = \begin{bmatrix} 3 & 1 & -1 \\ 1 & 3 & x \\ -1 & 1 & 3 \end{bmatrix}$ . If B is the inverse of

A, then the value of x is

25) If 
$$A = \begin{bmatrix} 3 & -3 & 4 \\ 2 & -3 & 4 \\ 0 & -1 & 1 \end{bmatrix}$$
, then adj(adj A) is

(a) 
$$\begin{bmatrix} 3 & -3 & 4 \\ 2 & -3 & 4 \\ 0 & -1 & 1 \end{bmatrix}$$
 (b)  $\begin{bmatrix} 6 & -6 & 8 \\ 4 & -6 & 8 \\ 0 & -2 & 2 \end{bmatrix}$  (c)  $\begin{bmatrix} -3 & 3 & -4 \\ -2 & 3 & -4 \\ 0 & 1 & -1 \end{bmatrix}$  (d)  $\begin{bmatrix} 3 & -3 & 4 \\ 0 & -1 & 1 \\ 2 & -3 & 4 \end{bmatrix}$ 

- 26) The system of linear equations x + y + z = 6, x + 2y + 3z = 14 and  $2x + 5y + \lambda z = \mu$  ( $\lambda, \mu \in R$ ) is consistent with unique solution if \_\_\_\_\_
- (a)  $\lambda = 8$  (b)  $\lambda = 8, \mu \neq 36$  (c)  $\lambda \neq 8$  (d) none
- 27) If the system of equations x = cy + bz, y = az + cx and z = bx + ay has a non trivial solution then \_\_\_\_\_
- (a)  $a^2 + b^2 + c^2 = 1$  (b)  $abc \ne 1$  (c) a + b + c = 0 (d)  $a^2 + b^2 + c^2 + 2abc = 1$
- 28) Let A be a 3  $\times$  3 matrix and B its adjoint matrix If |B| = 64, then |A| =
- (a)  $\pm 2$  (b)  $\pm 4$  (c)  $\pm 8$  (d)  $\pm 12$
- 29) If A<sup>T</sup> is the transpose of a square matrix A, then \_\_\_\_\_
- (a)  $|A| \neq |A^T|$  (b)  $|A| = |A^T|$  (c)  $|A| + |A^T| = 0$  (d)  $|A| = |A^T|$  only
- 30) The number of solutions of the system of equations 2x+y = 4, x 2y = 2, 3x + 5y = 6 is \_\_\_\_\_
- (a) 0 (b) 1 (c) 2 (d) infinitely many
- 31) If A is a square matrix that IAI = 2, than for any positive integer n,  $|A^n|$  =
- (a) 0 (b) 2n (c)  $2^n$  (d)  $n^2$
- 32) The system of linear equations x + y + z = 2, 2x + y z = 3,  $3x + 2y + kz = has a unique solution if _____$
- (a)  $k \ne 0$  (b) -1 < k < 1 (c) -2 < k < 2 (d) k = 0
- 33) If A is a square matrix of order n, then |adj A| = \_\_\_\_\_
- (a)  $|A|^{n-1}$  (b)  $|A|^{n-2}$  (c)  $|A|^n$  (d) None
- 34) If the system of equations x + 2y 3x = 2, (k + 3) z = 3, (2k + 1) y + z = 2 is inconsistent then k is \_\_\_\_\_
- (a) -3,  $-\frac{1}{2}$  (b)  $-\frac{1}{2}$  (c) 1 (d) 2
- If A =  $\begin{pmatrix} cosx & sinx \\ -sinx & cosx \end{pmatrix}$  and A(adj A) =  $\lambda \begin{pmatrix} 1 & 0 \\ 0 & 1 \end{pmatrix}$  then  $\lambda$  is \_\_\_\_\_\_
- (a) sinx cosx (b) 1 (c) 2 (d) none

36) If A is a matrix of order m $\times$ n, then $\rho$ (A) is
(a) m (b) n (c) $\leq \min(m,n)$ (d) $\geq \min(m,n)$
37) The system of equations $x + 2y + 3z = 1$ , $x - y + 4z = 0$ , $2x + y + 7z = 1$ has
(a) One solution (b) Two solution (c) No solution (d) Infinitely many solution
38) If $\rho$ (A) = $\rho$ ([A/B]) = number of unknowns, then the system is
(a) consistent and has infinitely many solutions (b) consistent (c) inconsistent (d) consistent and has unique solution  39) Which of the following is not an elementary transformation?
39) Which of the following is not an elementary transformation?
(a) $R_i \leftrightarrow R_j$ (b) $R_i \rightarrow 2R_i + R_j$ (c) $C_j \rightarrow C_j + C_i$ (d) $R_i \rightarrow R_i + C_j$ 40) If $\rho$ (A) = r then which of the following is correct?
(a) all the minors of order n which do not vanish
(b) 'A' has at least one minor of order r which does not vanish and all higher order minors vanish
(c) 'A' has at least one (r + 1) order minor which vanish
(d) all (r + 1) and higher order minors should not vanish
41) Every homogeneous system
(a) Is always consistent (b) Has only trivial solution
(c) Has infinitely many solution (d) Need not be consistent
42) If $\rho$ (A) $\neq \rho$ ([AIB]), then the system is
(a) consistent and has infinitely many solutions
(b) consistent and has a unique solution (c) consistent (d) inconsistent
43) In the non - homogeneous system of equations with 3 unknowns if $\rho$ (A) = $\rho$ ([AIB]) = 2, then the system has
(a) unique solution (b) one parameter family of solution
(c) two parameter family of solutions (d) in consistent
44) Cramer's rule is applicable only when
(a) $\Delta \neq 0$ (b) $\Delta = 0$ (c) $\Delta = 0$ , $\Delta_x = 0$ (d) $\Delta_x = \Delta_y = \Delta_z = 0$
45) In a homogeneous system if $\rho$ (A) = $\rho$ ([A   0]) < the number of unknouns then the system has
(a) trivial solution (b) only non - trivial solution (c) no solution
(d) trivial solution and infinitely many non - trivial solutions

46) In the system of equations with 3 unknowns,	if $\Delta = 0$ , ar	nd one of $\Delta_x$ ,	$\Delta_{\rm v}$ of
$\Delta_z$ is non zero then the system is			J

- (a) Consistent (b) inconsistent
- (c) consistent with one parameter family of solutions
- (d) consistent with two parameter family of solutions
- 47) In the system of liner equations with 3 unknowns If  $\rho$  (A) =  $\rho$  ([A | B]) = 1, the system has \_\_\_\_\_
- (a) unique solution (b) inconsistent
- (c) consistent with 2 parameter -family of solution
- (d) consistent with one parameter family of solution.
- 48) If  $A = [2 \ 0 \ 1]$  then the rank of  $AA^{T}$  is \_\_\_\_\_
- (a) 1 (b) 2 (c) 3 (d) 0
- 49) If A is a non-singular matrix then  $IA^{-1}| = \underline{\hspace{1cm}}$
- (a)  $\left| \frac{1}{A^2} \right|$  (b)  $\frac{1}{|A^2|}$  (c)  $\left| \frac{1}{A} \right|$  (d)  $\frac{1}{|A|}$

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- 50) In a square matrix the minor  $M_{ij}$  and the co-factor  $A_{ij}$  of and element  $a_{ij}$  are related by \_\_\_\_\_
- (a)  $A_{ij} = -M_{ij}$  (b)  $A_{ij} = M_{ij}$  (c)  $A_{ij} = (-1)^{i+j} M_{ij}$  (d)  $A_{ij} = (-1)^{i-j} M_{ij}$
- 51) Let  $\mathbf{A} = \begin{bmatrix} 4 & 4k & k \\ 0 & k & 4k \\ 0 & 0 & 4 \end{bmatrix}$  If  $\det(A^2) = 16$  then  $|\mathbf{k}|$  is \_\_\_\_\_\_
- (a) 1 (b)  $\frac{1}{4}$  (c) 4 (d)  $4^2$
- 52) Let  $1, \omega, \omega^2$  are cube roots of unity then

(a) 0 (b) a (c)  $a^2$  (d)  $a^3$ 

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53) If 
$$P = \begin{bmatrix} \frac{\sqrt{3}}{2} & \frac{1}{2} \\ -\frac{1}{2} & \frac{\sqrt{3}}{2} \end{bmatrix}$$
,  $A = \begin{bmatrix} 1 & 1 \\ 0 & 1 \end{bmatrix}$  and  $Q = PAP^T$ , then  $P^T, Q^{2013}$   $P = \begin{bmatrix} 1 & 1 \\ 0 & 1 \end{bmatrix}$ 

(a) 
$$\begin{bmatrix} 1 & 2013 \\ 0 & 1 \end{bmatrix}$$
 (b)  $\begin{bmatrix} 4 + 2013\sqrt{3} & 6039 \\ 2012 & 4 - 2013\sqrt{3} \end{bmatrix}$  (c)  $\frac{1}{4} \begin{bmatrix} 2 + \sqrt{3} & 1 \\ -1 & 2 - \sqrt{3} \end{bmatrix}$ 

(d) 
$$\frac{1}{4} \begin{bmatrix} 2012 & 2 - \sqrt{3} \\ 2 + \sqrt{3} & 2012 \end{bmatrix}$$

If 
$$ar{A}=egin{bmatrix} -1 & 2-3i & 3+4i \ 2+3i & 5 & 1+i \ 3-4i & 1-i & 4 \end{bmatrix}$$
 then det A is \_\_\_\_\_\_

(a) purely real (b) purely imaginary (c) complex number (d) 0

If 
$$\mathbf{A}=\begin{bmatrix}i&0&0\\0&i&0\\0&0&i\end{bmatrix}$$
 ,  $\mathbf{i}=\sqrt{-1}$ , then  $\mathbf{A}^n=\mathbf{I}$  where  $\mathbf{I}$  is unit matrix when  $\mathbf{n}=\mathbf{I}$ 

(a) 
$$4p + 1$$
 (b)  $4p + 3$  (c)  $4p$  (d)  $4p + 2$ 

If 
$$A=\left[egin{array}{cc} k & 3 \ 3 & k \end{array}
ight] ext{ and } |A^3|=343, ext{ then find the value of k}$$

(a) 
$$\pm 1$$
 (b)  $\pm 2$  (c)  $\pm 3$  (d)  $\pm 4$ 

If 
$$A = \begin{bmatrix} 1 & 0 \\ 1 & 1 \end{bmatrix}$$
, then  $A^n + (n-1)I =$ \_\_\_\_\_\_

(a) 
$$2^{n-1}A$$
 (b) - nA (c) nA (d) (n + 1)A

[1 1]
(a) 
$$2^{n-1}A$$
 (b) - nA (c) nA (d) (n + 1)A

58) 
$$\begin{bmatrix}
x^2 + x & x + 1 & x - 2 \\
2x^2 + 3x - 1 & 3x & 2x - 3 \\
x^2 + 2x + 3 & 2x - 1 & 2x - 1
\end{bmatrix} = 24x + B \text{ then B} = \underline{\qquad}$$
(a) 12 (b) 12 (c) 24 (d) 8

$$\begin{bmatrix}
 \tan^2 x & -\sec^2 x & 1 \\
 -\sec^2 x & \tan^2 x & 1 \\
 -10 & 12 & -2
 \end{bmatrix} = \underline{\qquad}$$

(a) 
$$12 \tan^2 x - 10 \sec^2 x$$
 (b)  $12 \sec^2 x - 10 \tan^2 x + 2$  (c) 0

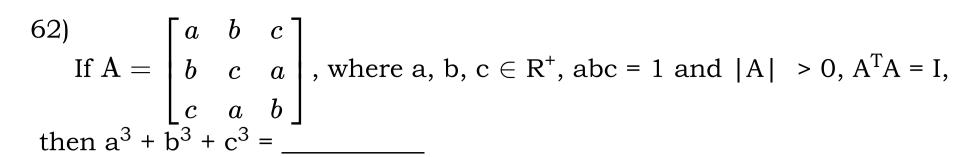
(d) 
$$\tan^2 x \cdot \sec^2 x$$

then 
$$\int_0^{\frac{\pi}{2}} f(x) dx =$$
 \_\_\_\_\_

(a) 
$$\frac{1}{3} - \frac{\pi}{3}$$
 (b)  $\frac{1}{3} - \frac{\pi}{4}$  (c)  $\frac{2}{3} + \frac{\pi}{3}$  (d)  $\frac{4}{3} - \frac{\pi}{4}$ 

If 
$$f(x) = \begin{vmatrix} x & e^{x^2} & \sec x \\ \sin x & 2 & \cos x \\ \csc x & x^2 & 5 \end{vmatrix}$$
, then the value of  $\int_0^{\frac{\pi}{2}} f(x) dx =$ \_\_\_\_\_\_

(a) 0 (b) 
$$5e^{\pi}$$
 (c)  $1-\frac{\pi}{2}$  (d) 34



- (a) 12 (b) 4 (c) -8 (d) 24
- The value of the determinant  $\begin{vmatrix} \cos^2\left(\frac{\pi}{2}+x\right) & \cos^2\left(\frac{3\pi}{2}+x\right) & \cos^2\left(\frac{5\pi}{2}+x\right) \\ \cos\left(\frac{\pi}{2}+x\right) & \cos\left(\frac{3\pi}{2}+x\right) & \cos\left(\frac{5\pi}{2}+x\right) \\ \cos\left(\frac{\pi}{2}-x\right) & \cos\left(\frac{3\pi}{2}-x\right) & \cos\left(\frac{5\pi}{2}-x\right) \end{vmatrix}$

is \_\_\_\_\_

(a) 0 (b) 
$$\cos^2\left(3x-\frac{9\pi}{2}\right)$$
 (c)  $\sin^2\left(\frac{3\pi}{2}+x\right)$  (d)  $\cos^2\left(\frac{15\pi}{2}-x\right)$ 

- (a) 343 (b) 729 (c) 256 (d) 512
- 65) Let P be a non-singular matrix and  $1 + P + P^2 + ... + P^n = O$ , (O denotes the null matrix) then  $P^{-1} =$
- (a) 0 (b) P (c)  $P^n$  (d) I
- If the inverse of the matrix  $\begin{bmatrix} 1 & 2 \\ 3 & -5 \end{bmatrix}$  is  $\frac{1}{11} \begin{vmatrix} a & b \\ c & d \end{vmatrix}$  then the ascending order of a, b, c, d is \_\_\_\_\_
- (a) a, b, c, d (b) d, b, c, a (c) c, a, b, d (d) b, d, c, d
- 67) If A and B are orthogonal, then (AB)<sup>T</sup> (AB) is \_\_\_\_\_
- (a) A (b) B (c) I (d)  $A^T$
- The adjoint of 3 x 3 matrix P is  $\begin{bmatrix} -1 & 2 & 2 \\ 1 & 1 & 2 \\ 2 & 2 & 1 \end{bmatrix}$ , then the possible value (s)

of the determinant p is / are \_\_\_\_\_

(a) 3 (b) -3 (c) 
$$\pm 3$$
 (d)  $\pm \sqrt{3}$ 

69) If A is a  $3 \times 3$  matrix such that | 3adj A | = 3 then |A| is equal to

(a) 
$$\frac{1}{3}$$
 (b)  $-\frac{1}{3}$  (c)  $\pm \frac{1}{3}$  (d)  $\pm 3$ 

# ( Match the following )

 $20 \times 1 = 20$ 

70) Trivial solution of 
$$AX = 0$$

$$(1) B^{-1} A^{-1}$$

71) Non - Trivial solution of AX = (2) Unique solution (3) $72) \rho (A) = \rho [(A/0)] < n$ Consistent with one parameter family of solution (4)  $|A|^{n-2}$ . A 73)  $\rho$  (A) =  $\rho$  [(A/0)] = n 74)  $\rho$  (A) =  $\rho$  [(A | B]) = 3 = number (5) |A|<sup>n-1</sup> of unknowns 75)  $\rho$  (A) =  $\rho$  [(A|B]) = 2 < number (6) (adj B) (adj A) of unknowns 76)  $\rho$  (A) =  $\rho$  [(A | B)] = 1 < number (7) | A | . I<sub>n</sub> of unknowns (8) Non - trivial solution 77)  $\rho$  (A)  $\neq \rho$  [(A | B)]  $(9) \lambda^{n-1}$  adj(A)78) [adj A] (10) Trivial solution 79) (adj A)<sup>T</sup>  $(11) adj(A^{-1})$ 80) adj (adj A)  $(12) |A| \neq 0$ 81) | adj (adj A) | 82) (adj A)<sup>-1</sup> JOIN 10TH & 12TH PAID WHATSAPP GROUP (13)DEC 1 2025 TO TILL FINAL 2026 MARCH EXAM Consistent with two parameter family of solution UPLOAD DAILY ONE SUBJECT FULL TEST PAPER (14) adj (A<sup>T</sup>) 83)  $(\lambda A)^{-1}$ ONE TIME FEES RS.750 ONLY  $(15) |A|^{n-2}A$ 84) adj (AB) FREE USERS CHECK ALL SAME PAPERS UPLOAD IN MY WEBSITES. YOU CAN DOWNLOAD AND PRACTICE  $85) (A^{T})^{-1}$  $(16) \frac{1}{3} A^{-1}$  $(17)(A^{-1})^{T}$ 86) A(adj A) (18) In consistent and has no solution 87) (AB)<sup>-1</sup> 88) (A<sup>-1</sup>)<sup>-1</sup> (19) A(20) |A| = 089) adj (λA)  $5 \times 2 = 10$ (Odd one out) 90) The rank of any  $3 \times 4$  matrix is (1) May be 1 (2) May be 2 (3) May be 3 (4) Maybe 4 91) If A is symmetric then  $(1) A^{1} = A$ (2) adj A is symmetric (3) adj  $(A^T) = (adj A)^T$ (4) A is orthogonal 92) If A is a non-singular matrix of odd order them 1) Order of A is 2m + 1(2) Order of A is 2m + 2(3) | adj A | is positive (4) IAI  $\neq$  0

- 93) If A is a orthogonal matrix, then
- $(1) AA^{T} = A^{T}A = I$
- (2) A is non-singular
- (3) IAI = 0
- $(4) A^{-1} = A^{T}$
- 94) A matrix which is obtained from an identity matrix by applying only one elementary transformation is
- (1) Identity matrix
- (2) Elementary matrix
- (3) Square matrix
- (4) Equivalent to identify matrix

# (Find the wrong statement)

 $5 \times 2 = 10$ 

- 95) In an echelon form which of the following is incorrect?
- (1) Every row of a which has all its entries 0 occurs below every row which has a non-zero entry.
- (2) The first non-zero entry in each non-zero row is 1
- (3) The number of zeros before the first non-zero element in a row is less than the number of such zeros in the next row
- (4) Two row can have same number of zeros before the first non-zero entry
- 96) Which of the following elementary transformation is not correct?
- $(1) R_i \rightarrow R_i + 2R_i$
- $(2) \; \mathrm{C}_i o \mathrm{C}_i \mathrm{C}_j$
- $(3)~\mathrm{R}_i 
  ightarrow 7\mathrm{R}_i + rac{5}{3}\mathrm{R}_j$
- (4)  $C_i \rightarrow C_i R_i$
- 97) It A is an invertible matrix, then which of the following is not true.

- (1)  $(A^2)^{-1} = (A^{-1})^2$ (2)  $|A^{-1}| = |A|^{-1}$ (3)  $(AT)^{-1} = (A^{-1})^T$
- (4)  $A \neq 0$
- The matirix  $\begin{bmatrix} 5 & 10 & 3 \\ -2 & -4 & 6 \\ -1 & -2 & x \end{bmatrix}$  is a singular matrix if the value of x is 98)
- (1) 3
- (2) non-existent
- (3) All values of x
- (4) Any value of x
- 99) The number of solutions of the system of equations 2x + y z = 7, x-3y + y z = 72z = 1, x+3y-3z-5 is
- (1) 0
- (2) 3
- (3) No-solution
- (4) Inconsistent